

Application of Inside-Outside Inversion Transform Models



Transforming Space Probes !?

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1 Current Status and Previous Research

“Inside-outside inversion transform models”

A figure with the following properties is called “Inside-outside inversion transform model”.

Cut a shape into several pieces.

Connect the vertices and winding the pieces in a certain direction transforms them into a different shape.

Also, after winding them, the boundary of the original shape, and the boundary of the new shape is entirely made up of the interior of the original shape.

“Tile theorem”

Can undergo inside-out transformation

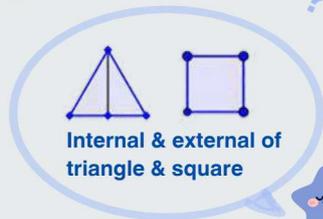


Demands for probes

- weight reduction
- potential for life ▶ high demands
- ▶▶▶ nearly identical topography



How to draw the lines of Dudeney's puzzle ?



Construction $\sqrt{3}$ ▶ suffice!

We proved that $\sqrt{3}$ can be constructed

▼ This can be constructed



2 Methods

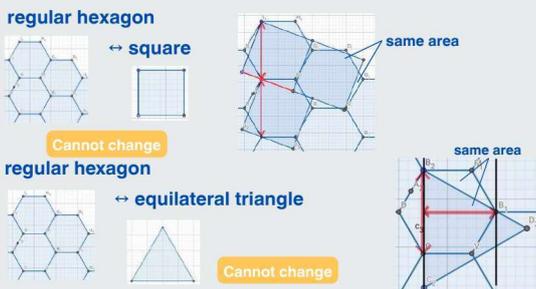


3 Hypothesis

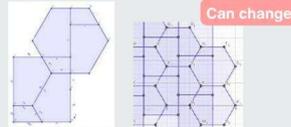
- 1 In two dimensions, it is possible to transform a shape into three different shapes.
- 2 In three dimensions, it is possible to transform a shape into two different shapes using the transformation method derived in two dimensions.

4 Research

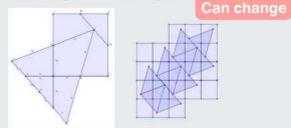
- 1 Based on “Tile theorem” Models are not able to be tiled
→ Cannot undergo inside-out transformation



regular hexagon ↔ rectangle



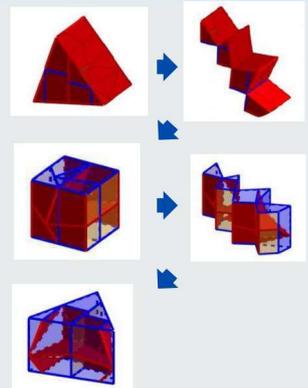
rectangle ↔ triangle



regular hexagon ↔ triangle



2



We were able to achieve it in two stages by applying the cross-sections from two dimensions.

5 Proposal



Transforming some ways



Demands & Merits

- Lightweight · affordable
- No waste
- Same materials → Multiple uses

Other ways to use

- Environmental sample collection
- Artificial Ecological Structures



References and Acknowledgments

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 J. Akiyama and G. Nakamura : “Congruent Dudeney dissections of triangles and quadrilaterals”, Algorithms and Combinatorics 25, 43-73 (2003)
 We would like to express our gratitude to all those who contributed to this research, especially Professor Yuichi Yamaura, former JAXA Director